

$$\frac{\operatorname{div} \nabla f \exists g \nabla u \in \operatorname{Dom} f}{\sqrt{1 + |\nabla u|^2}} = 0 \quad (g(a) = \{g(x) \mid x \in f\})$$

$$\sum_{h,k} \frac{\partial x_h}{\partial x_k} \Gamma_{h,k} = (f(F^*E))$$

$$\lim_{h \rightarrow \infty} |F_h| = |F|$$

$$\forall f \exists g \nabla u \in \operatorname{Dom} f \quad (g(a) = \{g(x) \mid x \in f(a) \cap A\} \cup (f(a) \setminus A))$$

Colloquio De Giorgi

22 March
2023
4:30 pm

GÉRARD BESSON
Institut Fourier, CNRS and
Université Grenoble Alpes

A Finiteness Theorem for Gromov-hyperbolic groups

Abstract: We shall prove that given $H > 0$ and $\delta \geq 0$ there is a finite number (up to isomorphisms) of marked groups (Γ, Σ) which are δ -hyperbolic, torsion-free, non cyclic such that their entropy satisfies $\operatorname{Entropy}(\Gamma, \Sigma) \leq H$. Here Γ is finitely generated and endowed with a (symmetric) finite generating set Σ . The goal of the talk is to explain all the words in this abstract and give a flavour of the proof.

Web site: <http://www.crm.sns.it/course/6588/>

The event will take place in person.

Please note that for organizational purposes, registration is mandatory.

info

crm@sns.it



SCUOLA
NORMALE
SUPERIORE

15⁷
246
28⁹

Centro
di Ricerca
Matematica
Ennio De Giorgi

Elaborazione a cura dell'ufficio comunicazione SNS